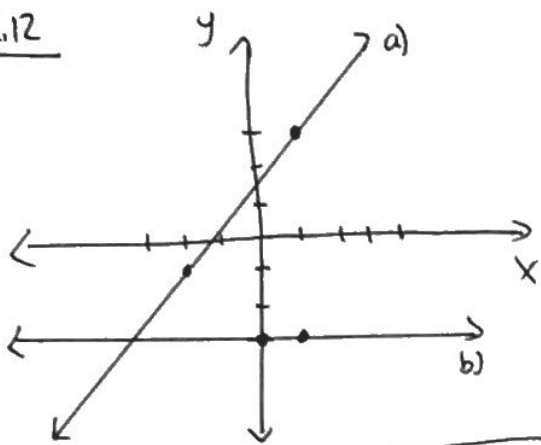


15.2.12



Plot the given point and use slope = rise/run to get another point on the line.

15.2.16 a) Use (1, 60) and (0, 0).

$$\text{slope} = \frac{\text{rise}}{\text{run}} = \frac{60-0}{1-0} = \boxed{60 \text{ mph}}$$

b) The slope is relating the change in distance to the change in time, so it is a speed.

15.2.18 a) A line parallel to the given line also has slope $-\frac{2}{3}$. b) A line perpendicular to the given line has slope $\frac{3}{2}$.

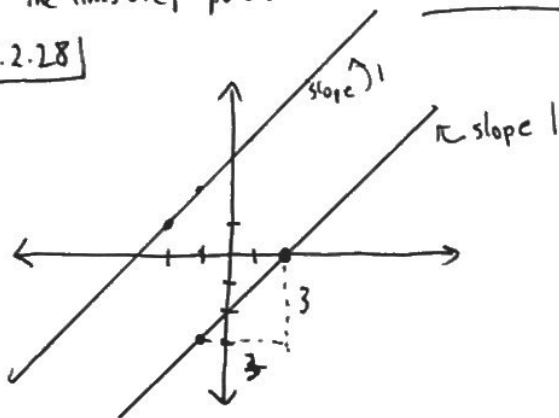
15.2.22 Slope of first line: $\frac{6-5}{-2+4} = \frac{1}{2}$ slope of second line: $\frac{3-2}{-6+3} = \frac{1}{-3}$

The lines are not parallel since they have different slopes.

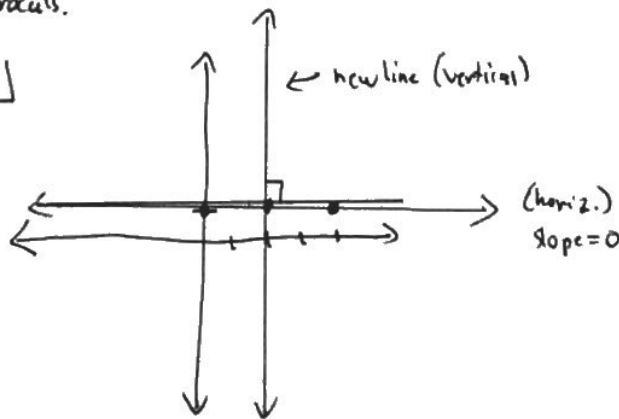
15.2.26 Slope of first line: $\frac{3-0}{3+1} = \frac{3}{4}$ slope of second line: $\frac{-1-3}{5-2} = \frac{-4}{3}$.

The lines are perpendicular since their slopes are negative reciprocals.

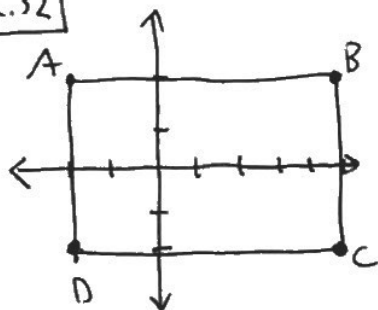
15.2.28



15.2.30

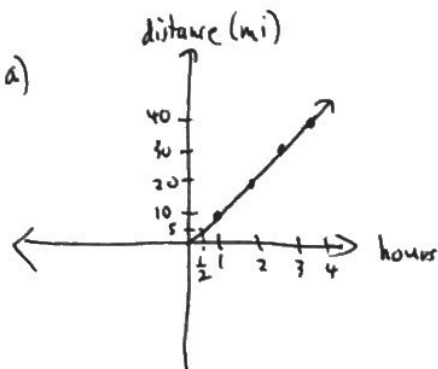


15.2.32



AB, CD are horizontal, slope 0, and BC, AD are vertical. So AB is perpendicular to BC, AD and so is CD. Hence all 4 angles are 90° , so ABCD is a rectangle.

15.2.34 a)



b) The slope of the line in a) is 10.

c) It takes $\frac{1}{2}$ hour to go 5 miles at a rate of 10 mph.

15.2.38] Compute the slopes of the lines between pairs of points: ~~64~~

• $(-4, 6)$ and $(0, 4)$: slope = $\frac{4-6}{0-(-4)} = \frac{-2}{4} = -\frac{1}{2}$

• $(0, 4)$ and $(2, 2)$: slope = $\frac{2-4}{2-0} = \frac{-2}{2} = -1$

Since these slopes are different, the points are not collinear (do not lie on the same line).

15.2.40]

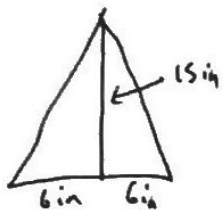
a) Given $(2, 4), (5, 3)$

The slope of the line between these points is $\frac{3-4}{5-2} = -\frac{1}{3}$, so $(-1, 5)$ and $(8, 2)$ are also on the line.

b) Given $(-6, -3), (4, -3)$

The slope of the line between these points is 0 , so $(0, -3)$ and $(47, -3)$ are also on the line.

15.2.44]



The left slope is $\frac{15}{6} = \frac{5}{2}$, using the idea that slope is rise over run.

The right slope is $\frac{-15}{6} = -\frac{5}{2}$.